The Sociology of Heritability

How (and Why) Sociologists Should Care About Heritability: Evidence from Misclassified Twins

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Abstract

We argue that despite many sociologists' aversion to them, heritability estimates have critical policy relevance for a variety of social outcomes ranging from education to health to stratification. However, estimates have traditionally been plagued by genetic-environmental covariance, which is likely to be non-trivial and confound estimates of narrow-sense (additive) heritability for social and behavioral outcomes. Until recently, there has not been an effective way to address this concern and as a result, sociologists have largely dismissed the entire enterprise as methodologically flawed and ideologically-driven. Indeed, in a classic paper, Goldberger (1979) shows that by varying assumptions of the GE-covariance, a researcher can drive the estimated heritability of an outcome, such as IQ, down to zero or up close to one. Survey questions that attempt to measure directly the extent to which more genetically similar kin (such as monozygotic twins) also share more similar environmental conditions than, say, dizygotic twins, represent poor attempts to gauge a very complex underlying phenomenon of GE-covariance. Methods that rely on concordance between interviewer classification and selfreport offer similar concerns about validity. In the present study, we take advantage of a natural experiment to address this issue from another angle: Misclassification of twin zygosity in the National Longitudinal Survey of Adolescent Health (Add Health). Since such twins were reared under one "environmental regime of similarity" while genetically belonging to another group, this reverses the typical GE-covariance and allows us bounded estimates of heritability for a range of outcomes of interest to medical and behavioral scientists.

Introduction

Does the proportion of variance in a social outcome explained by unobserved genetic (and inherited epigenetic) variation inform sociological or policy discussions in any meaningful way? Further, sociological relevance aside, has the sequencing of the human genome and the widespread availability of low-cost, million marker chips for the analysis of specific allele effects rendered the entire question of heritability moot?

Research has claimed to identify the heritability of a wide variety of traits and behaviors, from height (Visscher et al. 2006) to autism (Liu, Zerubavel, and Bearman 2010) and even food preferences (Breen, Plomin and Wardle 2006). Most estimates, however, are based on twin pair analysis and therefore reliant on strong assumptions about the relative environmental similarity of identical and fraternal twins (the equal environments assumption). Despite such limitations, it is tempting to treat heritability estimates as "true" and jump from there to policy implications – to argue for or against social welfare policies for example. As a way to refute conservatives who in the 1970s cited high heritabilities of income to criticize income redistribution, noted economist Arthur Goldberger (1979) pointed out that even if all variation in eyesight were due to genetic variation, this does not imply that we should not distribute eyeglasses. However, getting heritability estimation "right" should be of paramount concern to social scientists and policymakers for at least three reasons.

First is the fact that heritability is not a fixed parameter across time and place but is always a "local perturbation analysis" estimate as cogently argued by Marcus Feldman and Richard Lewontin over 35 years ago (1975: 1163). They go on to claim that "a complete analysis of the causes of variation would involve predicting the changes in the IQ distribution of genotypes and environments $\Phi(G,E)$. However, such analysis would require that we know the

first partial derivatives of the unknown function f(G,E)." Instead, behavioral geneticists typically pursue a strategy that relies on small fluctuations around the observed mean values. Even experimental studies in model organisms ranging from mustard weed (*Arabidopsis thaliana*) to fruit flies (*Drosophila melanogaster*) have demonstrated that heritability can be affected through experimental manipulation of environmental conditions (read: policy regimes) or through *particular* genetic alterations.

In human populations, recent sociological and economic research has shown heritability to vary by such policy-salient categories as race and parental education. For example, Guo and Stearns (2002) show that for blacks, the heritability of IQ is lower than for whites. They interpret this to mean that environmental conditions—such as a lack of parental resources or poor schooling conditions or simple racism—prevent the full realization of genetic variation in this population. Put another way, there is an implied GE covariance such that potential intellectual ability is inherited but requires environmental conditions of human capital investment to be realized in the form of IQ (or educational attainment or income for that matter; c.f. Becker and Tomes 1986 or Behrman, Rosenzweig and Taubman 1994). Muted gene-environmental covariance between, say, identical and fraternal twins may be one mechanism by which the environment suppresses the realization of genetic differences. It is a specific form, however, with a particular policy implication that differs from the possibility that overall common environmental influences are what are suppressing heritability.

In other words, at face value, the lower heritability estimates for African Americans tells us that there is something worth exploring, if not the specifics of why the estimates are what they are. That is, if we discover an interesting empirical relationship between unmeasured DNA and a given outcome of interest to social scientists, let us try to understand what accounts for it rather

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than assert its irrelevance for policy. In the process of investigating, we are likely to gain knowledge that is of policy relevance. That is, by using these differences in heritability as a starting point, we can then explore the underlying processes by which they arise. Many possible explanations are worthy of investigation, both experimentally—by manipulating the environment through, say family or school policy to see if heritability estimates change—and through interrogation of molecular genetic data to determine specific loci that may be responsible for the intergenerational genetic association. (Of course, this is not an easy task, given the "missing heritability" problem—namely the fact that genome-wide association studies [GWAS] have failed to additively account for narrow-sense heritability estimates.) Even without identifying the loci that contribute to a given trait's heritability, the knowledge of the conditions under which genetics matter more or less is important to policy makers to decide whether they want to try to drive that parameter up or down.

Knowing the degree that a trait is heritable will allow demographers (and by extension policy planners) to make predictions: Given a certain degree of assortative mating on the trait in question, how quickly will a given population stratify on that dimension (under a range of assumptions or estimates of stable or changing GE covariance across generations).

Second, there may be equity concerns in addition to those articulated by Okun.¹ Namely, whether we care about heritability of given phenotypes may depend critically on whether those outcomes are positional in nature. That is, if a significant proportion of the utility I derive from a specific attribute—be it height, IQ, income or anything else—depends on you not enjoying that same characteristic to the same degree, then whether that phenotype is genetically heritable

¹ Arthur Okun suggested that in some instances, efficiency may be enhanced by equity-inducing redistribution when equality of opportunity is highly unequal. Of course, what skills (heritable or not) matter in a given economic moment of history is perhaps itself endogenous to larger evolutionary forces and environmental events. But attempting to model such a general equilibrium is probably fruitless given the lack of identification possibilities.

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should matter greatly to public policy. In this case, the extent to which efforts to equalize outcomes have different social welfare costs may be dependent on how heritable they are—a possibility that few scholars in this debate have considered. For example, if we distribute platform shoes (an even cheaper fix than eye-glasses) in an effort to equalize the highly heritable characteristic of height, we are likely to achieve no increase in height equality in generalized equilibrium since the tall people will also buy high heels.

Finally, there are efficiency concerns related to heritability that are obscured by Goldberger's fallacious eye-glasses metaphor. The problem lay in the fact that Goldberger takes one case—myopia—in isolation from the other tradeoffs that must be made in a society with limited resources. To extend their example: If a government has to decide between closing (or opening, for that matter) a Royal Commission on the Distribution of Eyeglasses or a Royal Commission on the Distribution of Hearing Aids, does it matter which is more heritable? In other words, does it matter from an efficiency or cost-benefit perspective whether or not the etiology of a given social (or health) problem is genetic in origin?

At first blush it would appear that Goldberger is correct in arguing that it does not, in fact, matter how heritable either condition is. However, what if we wanted to intervene to *prevent* myopia or hearing loss? In this case, it is critical to know to what extent genetic background and to what extent environmental conditions matter and under what conditions there are genetic-environmental interactions at play. Of course, if we can solve the "problem"—such as myopia—cheaply and easily as with eyeglasses, we might not care what its etiological origins are. But if we cannot, interventions that foster prevention are warranted. Certainly such complex social or psychological phenotypes as risk-taking or poverty or human capital acquisition are likely to fall into this category of "no cheap and easy fixes" once the maladaptive

outcome manifests. So there are certainly efficiency concerns that relate to heritability at stake when we consider whether or not we want to devote resources to a given prevention (or, alternatively, encouragement) effort.

In sum, the estimation of the heritability of social phenotypes is poised to make good use of the genomics revolution that has occurred in the thirty-odd years that this literature has been around. Below, we discuss problems in existing efforts to estimate heritability. We deploy socially-misclassified twins to get a handle on the degree to which gene-environment covariance biases traditional heritability estimates. This is but one technique made possible by new genetic techniques to solve the "missing heritability" problem as well as to help address societal concerns.

Existing Research

To what extent are social and behavioral outcomes (or phenotypes) due to narrow-sense (additive) genetic heritability (h²)? Notable researchers such as Richard Plomin or David Rowe, as well as many others, have argued that by comparing social outcomes among genetically identical twins (i.e. monozygotic twins who share 100 percent of their nuclear genes) with those from (same sex) fraternal twins (i.e. dizygotic twins who share, on average, 50 percent of their genes, just like singleton siblings), we can properly estimate the genetic, shared environmental, and non-shared environmental components of traits (see, e.g., Plomin, DeFries, McClearn, McGuffin, 2001). While there are other approaches to estimating heritability among humans, this is by far the most common approach and taken to be the least problematic since, being of a cohort together, both types of twins share uterine environments, experience societal events at the same time and deal with family transitions also at the same point in their development.

In the most naïve approach, narrow-sense (additive) genetic heritability is calculated as two times the difference between the intra-class correlations of identical and fraternal twins. (This is often estimated using an ACE model, where A stands for additive genetic heritability, C for common environment and E for unique environment [essentially an error term].) However, more recently, much more complex structural models have been offered to account for various complications such as the fact that—as a result of assortative mating at the parental level fraternal twins may share more than 50 percent of their genes. Likewise, non-linear interactions between alleles—such as dominance—have been modeled in attempts to get at broad sense heritability (H²) (see Purcell 2002 for a review of these models and simulation exercises and Purcell and Pak 2002 for an empirical example). And perhaps most importantly, the "equal environments" assumption has been relaxed. For the naïve calculation mentioned above, it is necessary to assume that the covariance between environment and genetics is zero—better known as the equal environments assumption (EEA). Put another way, the simple estimation of heritability requires the rather heroic assumption that identical twins experience the same degree of similarity in environment as do (same sex) fraternal twins.

Such newer models include an estimate of the degree to which environmental similarity varies with genetic likeness. However, these are just that: estimates—often based on questions about whether or not respondents were "dressed alike" growing up, whether they were viewed as similarly as "two peas in a pod" and so on (see, e.g., Lichtenstein, Pedersen, and McClearn 1992; Rodgers et al. 1999; Rowe and Teachman 2001; Guo and Stearns 2002). Such questions are likely to capture only some of the ways that environmental similarity differs across identical and fraternal twin pairs, which is troubling since Goldberger (1979) has shown that depending on the GE covariance assumed, estimates of heritability can be driven wildly up or down.

Other more recent work has used adoptees to infer biological estimates of the heritability of social traits. For example, Sacerdote (2004) used a dataset of Korean adoptees in the United States where assignment to families was random (first-come-first-served basis) to examine the intergenerational correlation on important socioeconomic indicators such as educational attainment and income; on behaviors such as drinking and smoking; and on anthropometric measures such as height and weight. The results were then contrasted to intergenerational correlations among biological families from other data sources as well as biological children within those same families (for the subsample that contained biological children). The results showed that—as might be expected—heritability for physical traits was considerably stronger in biologically intact families. Education (specifically probability of graduating from a four year college) and income were also much more strongly inherited by biological descent. However, health-related behavioral inheritance was similar across the two groups.

Before we accept the putative inference that education and income are predominantly genetically transmitted (while smoking and drinking are culturally transmitted) we must question the external validity of the adoptee sample. While there was adequate variation within the recipient families of adoptees, *on observables*, and while they did not look terribly different on average from non-adopting U.S. families, on observables, we know, *ipso facto*, that families who adopt are a distinct social group on unobservables—as are the adoptees themselves. For example, if socialization is weaker among adoptees who do not feel connected to their adoptive parents, heritability could appear to be weaker by virtue of this fact, not the absence of genetic similarity. There are many other dynamics that could be at work as well, such as increased (or decreased) parental investment, halo effects or stigma and truncated genetic variability among adoptees (or adopters), which may work to bias estimates for this population in unpredictable

ways. The only adoption study that would avoid such questions would be one in which adoptees were randomly selected from the newborn population and then randomly assigned to parents, with both groups blind to the treatment (i.e. not knowing whether they were adopted or not)—all while prenatal environment was held constant. In other words, it is an impossibility to reliably estimate genetic heritability using such an approach.

Another intriguing recent study uses sibling identity by descent (IBD) to estimate heritability (for height). The approach of Visscher et al. (2006) was to identify the degree to which siblings shared polymorphisms at about 629 sites (this was the mean number of markers, the range was 201 to 1,717). The correlation of siblings on measured genotype was then compared with the degree of their resemblance on the phenotype-in this case height. The intraclass correlation for siblings ranged from 0.374 to 0.617 (with a mean of 0.498). It is these differences in IBD that they leverage to identify the genetic similarity and thereby estimate heritability. However, they make the assumption that this range of sibling genetic similarity arises from random differences in recombination. However, while this range falls in line with other estimates (c.f., Gagnon, Beise and Vaupel 2005), it does not just result from random variation due to recombination and segregation, it could also result from differential rates of assortative mating at the parental generation. Indeed, in order to arrive at the h2 estimates, Visscher et al. (2006) must assume random mating. This may, in fact, be the case; however, it is an assumption that could easily be tested by comparing the IBD of the parents (or by using sibling sets of three or more individuals and then deploying fixed effects before calculating IBD dyadic correlations on the residual, which would, in fact, be a random result of recombination). We are not suggesting that Visscher et al.'s estimates are necessarily wrong, merely that they

would be nice complemented by an alternative approach to deal with GE covariance. We outline such an approach below.

Data and Methods

Given the intractability of adoption studies and the limitations of IBD correlation approaches, in the present analysis we deploy a different approach to improve on the standard ACE model: We examine the intra-class correlation for monozygotic and (same sex) dizygotic twins who accurately perceive their genetic relatedness and separately for those twin sets who are, in fact, mistaken about their degree of genetic similarity. A non-trivial number of same sex twins are, in fact, incorrect about their zygosity. In Japan, for example, one study that deployed four independent samples found that, in each, between a quarter and 30 percent of MZ twins were misclassified as DZ twins at birth (Ooki, Yokoyama & Asaka 2004). Likewise, in Norway, a study revealed that a questionnaire approach to classifying the zygosity of adult twins was inaccurate 2.4 percent of the time when information from both twins was available and 3.9 percent of the time when information from only one twin was obtained (due to the death of or non-response from the other twin) (Magnus, Berg, & Nance 1983). Finally, a study in Denmark deployed the four traditional questions typically used to assign zygosity and then checked these predictions against genetic test results and found that the overall proportion misclassified was four percent, with the highest error rate among male monozygotic twins (8 percent) (Christiansen et al. 2003). Finally, a study that genotyped 327 Dutch twin pairs found a parental misclassification rate of 19 percent—largely as a result of monozygotic twins perceived as dizygotic (Van den Oord, Boomsma & Verhulst. 2000). So we can imagine the Scandinavian results as lower bounds and the Japanese figure as upper bounds of twin misclassification. In the

United States, the National Longitudinal Survey of Adolescent Health is the only non-local dataset with self-reported zygosity, researcher-assigned zygosity and "true" genetic zygosity based on genetic testing.

When we examine these data, we find that six twin sets disagree about their collective zygosity (these siblings are excluded from our analysis). Of the remaining 254 same sex twin sets that agree on their zygosity, 45 pairs are incorrect (17.7 percent). The vast majority of these misperceiving siblings (82.2 percent) are genetically monozygotic twins who thought they were dizygotic. These zygosity assessments are obtained in the first wave of data collection, when the twins range in age from 12 to 18. Thus the 18 percent misclassification rate is understandably lower than the Japanese rate at birth. Likewise, it is understandably higher than the Norwegian or Danish rates, which were asked of adults and were not self-perceived zygosity but rather interviewer assigned zygosity based on a series of questions. Indeed, when Add Health assigns zygosity to twin sets based on a series of questions (such as whether they looked like two peas in a pod as children and were confused by strangers, teachers, or family members), the misclassification rate falls to a mere 5.9 percent. However, a significant additional proportion (6.6 percent) of twin sets remain "undetermined" under this methodology.

Add Health assigned twin zygosity based on a series of questions about similarity. These questions include: growing up, how alike did you and your twin look? Like two peas in a pod or family members; did you and your twin ever confuse strangers?; did you and your twin ever confuse teachers?; did you and your twin ever confuse family members? The similarity score for each pair is the average of these confusability questions for both twins. (These are the same sort of questions typically used to estimate GE covariance.) If a pair was missing answers to these questions, mothers' responses to questions about similarity were used. Comparing similarity

score to self-reported zygosity among same-sex twins, Add Health made classification decisions based on "a cutoff score where the score distribution seemed to divide naturally" (Rowe and Jacobson 1998: 2). If a pair claimed they were fraternal, but Add Health would have classified them as identical based on a high similarity score, they were classified as undetermined. Add Health suggests excluding these pairs or treating them as fraternal.

This discussion illustrates the complexity of attempting to assign zygosity without genetic information. As supplementary Tables S2 and S3 show, there is a great deal of variation in similarity score and any cut point is arbitrary. Furthermore, similarity scores do not always match self-reported zygosity. Since we are concerned not with correct classification by the survey researcher, but rather with the lived experience of the twins themselves, we rely primarily on their self-reported zygosity to take advantage of the misclassified twins to interrogate the equal environments assumption.

To question the equal environments assumption, we compare the degree of resemblance among same-sex twins whose genetic and self-reported zygosity match, to those whose identities do not align with their genetic zygosity. Twin self-report is privileged over Add Health classification of zygosity because it better indicates twins' subjective experience. However, intra-class correlations are run multiple times, using both self-reported zygosity and Add Health classification in order to make sure results are not an artifact of our choices. (This sensitivity analysis shows that they are, in fact, similar, though not identical; see Table 2.) We are not the first researchers to pursue this "misclassification strategy" to interrogate heritability estimates. Goodman and Stevenson (1989) use this methodology to disentangle genetic and environmental effects among a sample of 13-year-old British twins and find that hyperactivity and attentiveness appear to be about half heritable. They (1989: 694) assign "true" zygosity based on "physical

similarity, the number of choria and placentae, and the hospital doctors ascription of zygosity and the parental opinion"; when these sources disagreed, fingerprints were analyzed and blood group was gathered in a few cases. Xian et al. (2000), Scarr and Carter-Saltzman (1979), and Kendler et al. (1993) find evidence to support the equal environments assumption based on a variety of twin data. Kendler and colleagues use female twins from the Virginia Twin Registry, Xian et al. use male twins from the Vietnam Era Twin Registry, and Scarr uses Philadelphia-area twins. Although Scarr and Carter-Saltzman use blood group and Kendler et al. use DNA data to identify genetic zygosity for pairs of "probable" or "uncertain" status, Xian et al. rely solely on questions about similarity with no molecular evidence. Meanwhile, while innovative for the late 1970s, Scarr's and Carter-Saltzmann's blood group approach is problematic since these loci are not definitive or comprehensive enough. For example, in their data DZ twins differed only on an average of 2.75 blood group loci out of 12. With such high similarity among DZ twins, it implies that many sets who are similar on 12 out of 12 may nonetheless be DZ by chance. Kendler et al.'s approach is the closest to ours. However, they rely on a localized sample and similarity questions and photographs (available for about 80% of twins) to assign zygosity for a majority of their twin pairs. They classified pairs as definite, probable, or uncertain zygosity status based on similarity questions and photographs and then attempted to gather blood samples for the probable and uncertain categories (186 pairs). Blood samples, and therefore genetic zygosity, were available for 119 of these 186 pairs. Genetic information was available for 26 pairs classified as definite zygosity and validated Kendler's assignment in all cases. For the "probable" group, genetic zygosity matched their assignment for 83% of the pairs. To summarize, Kendler's final zygosity assignment relies on DNA data where available (a small portion of their pairs) and definite or probable classification based on similarity questions and

photographs. Their DNA data suggest zygosity is assigned with high validity, but some error certainly remains – particularly among pairs in the probable category without genetic data. In contrast to the studies above, genetic zygosity is available for all twins in our data. Like Goodman and Stevenson (1989) and Xian et al., Kendler et al. focus on psychopathologies: major depression, generalized anxiety disorder, phobia, bulimia, and alcoholism. All of these studies find little evidence for significant violations of the equal environments assumption.

Against this backdrop, we are the first to apply this misclassification approach to a recent sample with genetic zygosity information for all twins over a wide range of behavioral and anthropometric outcomes and to address possible bias in the relationship between misclassification and phenotypic similarity due to reverse causation (phenotypic nonresemblance causing misclassification) by comparing perceived zygosity to birth weight discordance.

| Genetic | | Se | elf-Rep | orted | |
|----------|-----|-------|----------|-----------|-------|
| Ochette | | 50 | III-Kej | Joneu | |
| | MZ | Disa | gree | DZ | Total |
| MZ | 208 | | 10 | 74 | 292 |
| DZ | 16 | | 2 | 210 | 228 |
| Total | 224 | | 12 | 284 | 520 |
| Panel B: | | | | | |
| Genetic | | Add H | [ealth] | Assignme | ent |
| | | | | | |
| | MZ | DZ | Unde | etermined | Total |
| MZ | 260 | 18 | | 30 | 308 |
| DZ | 12 | 220 | | 6 | 238 |
| Total | 272 | 238 | | 36 | 546 |

Table 1: Genetic zygosity by self-reported zygosity among same-sex twins (panel A) and by Add Health zygosity assignment (panel B).

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We focus on the third wave of Add Health panel data for sibling pairs, which surveyed respondents in 2001-2 when they were ages 18-26. Siblings of individuals identified as twins in the stratified sample were added, yielding 64 percent of sibling pairs from the probability sample and 36 percent from convenience sampling. In other words, to increase the number of pairs, some siblings were added after the random sampling strategy. Sampling weights are therefore not available for all twins in the genetic data and are not used. Winship and Radbill (1994) argue against using analytic weights in multivariate analysis.

Genetic zygosity was determined by 11 "highly polymorphic, unlinked short tandem repeat (STR) markers: D1S1679, D2S1384, D3S1766, D4S1627, D6S1277, D7S1808, D8S1119, D9S301, D13S796, D15S652 and D20S481" and a sex-linked-locus (Harris et al. 2006:992). Twins are classified as genetically monozygotic if they match at all 11 loci. Our sample includes nearly 150 identical twin pairs and over 110 same-sex fraternal twin pairs (although the exact sample size depends on the number of pairs with complete outcome data). Table 1 compares genetic zygosity to perceived zygosity in Panel A and Add Health assigned zygosity in Panel B. Panel A shows that 74 genetically identical twins perceive themselves as fraternal, while 16 genetically fraternal twins believe they are identical. This leaves a small sample of misclassified twins, which is a limitation of this analysis. However, we calculate heritability estimates using a variety of twin samples, including naïve estimates based on twin self-report and Add Health classification, in addition to estimates based on genetic zygosity and misperceived zygosity. Taking all of these estimates into account lets us interpret results from the smaller, misclassified sample in conjunction with others and reduces concern about the smaller number of misclassified twins.

Supplemental tables (S1-S3) provide descriptive measures by zygosity category and compare perceived and assigned zygosity to the similarity index Add Health used to assign zygosity. Mean differences between correctly and incorrectly classified twins are only significant for high school GPA and birth weight.

Our phenotypes include the following: Birth weight; height; weight; BMI; depression score; ADHD; delinquency; and cumulative high school GPA. Birth weight is reported by parents, measured in ounces, and logged. Height and weight, used to calculate body mass index, are self-reported in wave 3. Measured height and weight have higher rates of missing values so self-reports are used to maintain as many respondents as possible. Depression is measured using the Center for Epidemiologic Studies-Depression Scale (CES-D). It consists of 20 questions included in the Add Health survey which ask respondents to rate the frequency of a depressive symptom from 0 (never/rarely) to 3 (most/all of the time). The sum of responses for all 20 items indicates the frequency of depressive symptoms. A scale of attention deficit and hyperactivity disorder (ADHD) behaviors is constructed from 18 questions asked in wave 3 about behavior when the individual was between 5 and 12 years old. The ADHD scale indicates how often (never/rarely, sometimes, often, or very often) the youth fidgeted, had difficulty sustaining attention in tasks, was forgetful, had difficulty organizing tasks or activities, and left his seat when being seated was expected, among other things. Cumulative high school GPA is gathered from high school transcripts. Heritability for these phenotypes can be simply estimated from the following equation 1:

$$Var(y) = Var(g) + Var(e) + 2 Cov(g, e).$$
(1)

Where y is an outcome or phenotype, g is the genetic contribution, and e is the environmental contribution. Researchers usually suppose that Cov(g, e) = 0, so the equation reduces to Var(y)

= Var(g) + Var(e). Then heritability is the ratio Var(g)/Var(y). To estimate this using MZ and DZ twin correlations, we rely on the following assumptions:

$$r_{\rm mz} = A + C \tag{2}$$

$$r_{\rm dz} = 0.5A + C \tag{3}$$

Where A is shared genetics, C is shared environment, and the 0.5 coefficient for DZ twins echoes the notion that they share, on average, 50 percent of their genes. (If positive assortative mating is at play, then this biases heritability downward). We then difference equations 2 and 3 and solve for A to yield equation 4, below:

$$A = 2 \left(r_{\rm mz} - r_{\rm dz} \right) \tag{4}$$

Finally, we can deduce C from equation 2:

$$C = r_{\rm mz} - A \tag{5}$$

And since we assume that MZ twins reflect maximal environmental and genetic similarity, E (the effect of unique environment) is simply:

$$E = 1 - r_{\rm mz} \tag{6}$$

Again, this model is identified only because we assume away the covariance of A and C (cov GE in our earlier notation). However, in our case, we will estimate two versions of the model, one where we know that the 2*cov(G*E) term is positive—that includes the cases where the genetic and social zygosity match—and one where we assume the 2*cov(G*E) is negative due to the self-misclassification of the twins' zygosity. The covariance should be positive for correctly classified twins (because genetic and environmental similarity are aligned) but negative for misclassified twins (because environmental treatment should not mesh with genetic similarity). Therefore, we hypothesize that heritability estimates among correctly classified twins should

overestimate heritability, while estimates among misclassified twins should underestimate heritability. Of course, we do not know a figure for the GE covariance for each group, but its valence is enough to test classically-determined heritability estimates for bias. We will not, then, try to estimate the *true* heritability (or the *true* parameters for components C and E), but merely obtain a sense of whether the bias is substantively and statistically significant. We achieve this by comparing naïve heritability estimates based on self-reported and Add Health classified zygosity to estimates based on genetically determined zygosity – separately for correctly and incorrectly perceiving twins.

In a second approach, we use Kendler et al.'s strategy of comparing model fit with and without perceived zygosity in the model. Phenotype is regressed on genetic zygosity and sex for all twins by genetic zygosity (among same-sex, white, same-sex white, and all twins), alternately including perceived zygosity. Genetic zygosity is coded 0.5 for DZ and 1 for MZ twins. Perceived zygosity is 0 for DZ, 0.5 if twins disagree, and 1 for MZ. Akaike (AIC) and Bayesian information criteria (BIC) are used to select the model best balancing data fit and parsimony (Raftery 1986; 1995). In both cases, lower values indicate better fit. BIC alone is insufficient because it may overvalue parsimony or simpler models (Weakliem 1999). Therefore, it is important to consider both statistics in deciding which model fits best.

One concern with our research strategy might be that we are reversing the causal process: Perhaps it is the case that twins who deviate greatly on the phenotypes of interest—say height, weight, GPA, affect—are then socially misclassified? This would then suggest that cov(G,E) is predicted by var(y), confounding our attempts at decomposition. To address this possibility², we

² Ideally we would instrument misclassification. Birth weight differences temporally precede self-perception of zygosity and strongly predict it, thus fulfilling the first condition necessary for an instrument. However, birth weight differences are likely to have direct effects on the similarity in phenotypes we consider, net of misclassification status. Birth weight has been

show a significant relationship between misclassification and twin birth weight differences, which occur before classification. This does not completely rule out reverse causality, but the birth weight analysis gives us some comfort in the notion that misclassification was a result of differences that began at birth and not as a result of the phenotypes under study.

Results

Figures 1 and 2 show intra-class correlations among MZ and DZ twins by perceived zygosity for BMI and high school GPA. In both cases, the correlation among genetic identical twins is stronger than fraternal twins, whether the identical twins correctly perceive their zygosity or not. BMI shows a stronger distinction between genetically MZ and DZ twins, which supports the argument that BMI is largely heritable (e.g., Allison et al. 1996 find h² of BMI is between 0.5 and 0.7 based on twin data from Finland, Japan, and the US). Wide standard error bars illustrate the problem with using genetically fraternal twins who believe they are identical. The small sample sizes for misclassified DZ twins preclude using them.

Table 2 presents intraclass correlations of phenotypes by classification status for identical and fraternal twins. Heritability estimates using all correctly classified twins (column 5) and incorrectly classified MZ twins (column 6) are calculated for each phenotype. Figure 3 graphically compares heritability estimates for these correctly and incorrectly classified twins.

shown to affect a range of anthropometric measures (see, e.g., Conley, Strully and Bennett 2003 for a review), and recent work has shown that differences themselves, in fact, have predictive power for the differences between siblings (including twins) (see Conley and Rauscher 2010). Thus, birth weight differences violate the exclusion restriction and would thus fail as an instrument. Indeed, it is likely that any factor that would affect the probability of misclassification would also affect the phenotypes, thus we abandoned the hope for an instrumentation strategy and rely instead on simple comparisons between correctly and incorrectly classified groups.

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| | | | | | | | С | Е | С | Е | | |
|------------|---------|-----------|---------|-----------|-----------|-----------|---------|---------|-----------|-----------|----------------------|----------------------|
| | | | | | | $h^2 DZ$ | Shared | Unique | Shared | Unique | | Naïve h ² |
| | | | | | _ | Correct & | Env | Env | Env MZ | Env MZ | Naïve h ² | Add Hlth |
| | MZ | MZ | DZ | DZ | h^2 all | Perc DZ- | Correct | Correct | Incorrect | Incorrect | Perceived | Classif |
| | Correct | Incorrect | Correct | Incorrect | Correct | Gen MZ | | | | | Zygosity | Zygosity |
| | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| BMI | 0.84 | 0.87 | 0.35 *† | 0.08 *† | 0.98 | 1.00 | -0.14 | 0.16 | -0.13 | 0.13 | 0.67 | 0.89 |
| Height | 0.96 | 0.95 | 0.72 *† | 0.49 *† | 0.47 | 0.46 | 0.49 | 0.04 | 0.49 | 0.05 | 0.33 | 0.48 |
| ADHD | 0.44 | 0.51 | 0.24 *† | 0.44 | 0.41 | 0.54 | 0.03 | 0.56 | -0.03 | 0.49 | 0.30 | 0.18 |
| Depression | 0.27 | 0.62 * | 0.15 † | | 0.25 | 0.94 | 0.40 | 0.16 | 0.38 | 0.15 | 0.06 | 0.24 |
| GPA | 0.84 | 0.85 | 0.62 *† | 0.76 | 0.44 | 0.47 | 0.39 | 0.72 | 0.60 | 0.93 | 0.35 | 0.44 |

Table 2: Intraclass Correlation and Estimated Heritability by Self-Perceived Zygosity Category

* = significantly different from MZ correct
† = significantly different from MZ incorrect

Figure 1: Twin intraclass correlations for Body Mass Index, by genetic and perceived zygosity; data from genetic subsample of the National Longitudinal Survey of Adolescent Health. Sample sizes are 200 for genetically MZ twins perceived accurately and 69 for MZ twins perceived inaccurately; 194 for same-sex genetically DZ twins perceived accurately and 16 for genetically DZ twins perceived inaccurately.

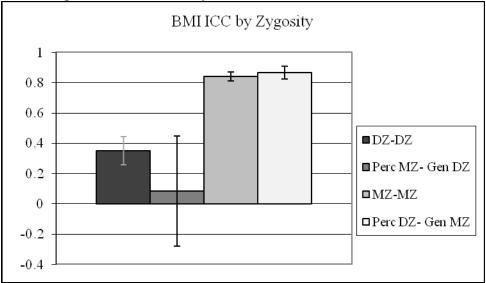


Figure 2: Twin intraclass correlations for cumulative High School GPA, by genetic and perceived zygosity; data from genetic subsample of the National Longitudinal Survey of Adolescent Health. Sample sizes are 185 for genetically MZ twins perceived accurately and 62 for MZ twins perceived inaccurately; 175 for genetically DZ twins perceived accurately and 13 for genetically DZ twins perceived inaccurately.

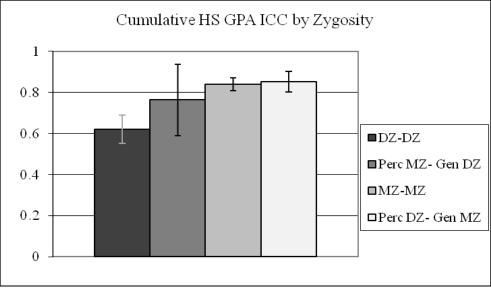
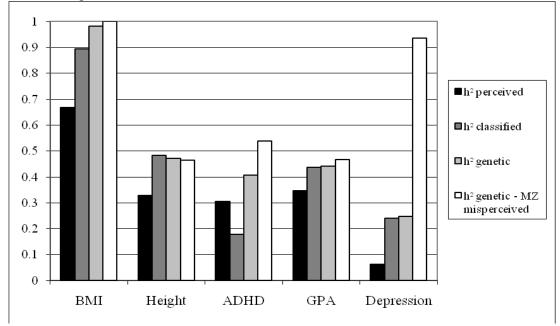


Figure 3: Narrow-sense (additive) heritability estimates (h^2) by twin zygosity: naïve perceived, Add Health classified, correctly perceived genetic, and incorrectly perceived genetic zygosity based on figures from Table 2 columns 5, 6, 11, 12..



The estimated heritabilities of body mass index and height are about the same among correctly and incorrectly classified twins. Estimated heritability of height is slightly higher among incorrectly identified MZ twins, but in general estimates for BMI and height do not provide evidence that correctly classified twins underestimate heritability.

In contrast to these largely inherited outcomes, behavioral outcomes such as depression, ADHD, and GPA show higher heritability among incorrectly classified twins. Estimated heritability is only slightly higher for GPA, but substantially for ADHD and depression among misclassified twins. Oddly, identical twins who believe they are fraternal are more similar in GPA, depression, and ADHD symptoms than other MZ twins. (The difference is only significant for depression, however.) There could, of course, be a complicated behavioral response to similarity and difference across measures. For example, MZ twins who perceive themselves as DZ may be more similar in their psychological reactions to what they may sense as some discrepancy (perhaps that they are more "similar" on physical measures than they might expect to be given their belief that they are dizygotic—however, mean levels of depression are not different for this misclassified group, complicating this story). Alternatively, it could be that MZ twins who correctly perceive themselves to be MZ psychologically seek to individuate more than those who perceive themselves as DZ and thus do not feel compelled to form psychological niches.

In every case, naïve heritability estimates based on perceived zygosity among all twins are lower than those based on genetic zygosity. Twin classification error seems to underestimate heritability for all of these traits. Heritability based on Add Health classification (responses to similarity questions) is generally similar to estimates based on twins who accurately perceived their genetic zygosity, but lower than incorrectly perceived zygosity. Overall, comparing estimates from a variety of zygosity classifications suggest traditional heritability estimates are not overestimated, and may in fact be underestimated for behavioral phenotypes - particularly depression.

Columns 7-10 in Table 2 list estimated shared and unshared environmental contribution to phenotypes. Similar to the heritability estimates, shared environmental estimates are quite similar using correctly and incorrectly classified MZ correlations, except for depression and to a small extent ADHD. Depression and ADHD estimates suggest shared environment is less important among identical twins who believe they are fraternal. This suggests the equal environments assumption may be problematic, because shared environment is more important for twins who believe they are identical. Correctly classified identical twins may be treated more similarly than genetically MZ twins who believe they are fraternal. Shared environment estimates of ADHD and depression are negative, however, for incorrectly classified MZ twins,

which makes this evidence weak. Estimated individual environmental contributions (E) are generally larger than shared environment (C). Only height and GPA have smaller individual environmental contributions – for both correctly and incorrectly classified identical twins.

Table 3 compares model fit for regressions predicting individual depression and pair depression difference using AIC and BIC statistics. Regressions include genetic zygosity (.5 for DZ and 1 for MZ twins) and an indicator for male (indicators for both male and opposite sex in twin pair models including non-same-sex twins). Following Kendler et al., model fit is compared to a model including perceived zygosity (0 for DZ, .5 if twins disagree, and 1 for MZ). An AIC or BIC difference of 5 indicates a significant difference in model fit and lower values are better. In every case, using both AIC and BIC, perceived zygosity significantly improves model fit among white, same sex, same sex white, and all twins. Perceived zygosity improves prediction of both individual depression and twin pair depression difference, suggesting environmental differences due to perception are nontrivial.

| | | White | | | Same-sex | | | Same-se | x White | | All | | |
|-------|--------------|--------|--------|---|----------|----------|------|------------|---------|---|--------|--------|---|
| | Individuals | | | | | De | pres | ssion | | | | | |
| | | AIC | BIC | | AIC | BIC | | AIC | BIC | | AIC | BIC | |
| MZ | w/o | 1234.6 | 1241.3 | | 1824.5 | 1831.9 | | 1234.6 | 1241.3 | | 1824.5 | 1831.9 | |
| | w/ perceived | 1184.3 | 1194.2 | * | 1748.9 | 1759.9 | * | 1184.3 | 1194.2 | * | 1748.9 | 1759.9 | * |
| DZ | w/o | 1528.7 | 1535.8 | | 1427.5 | 1434.4 | | 849.7 | 855.7 | | 2490.2 | 2498.5 | |
| | w/ perceived | 1434.8 | 1445.2 | * | 1353.9 | 1364.1 | * | 804.9 | 813.7 | * | 2347.4 | 2359.3 | * |
| Twins | w/o | 2764.2 | 2776.6 | | 3252.1 | 3264.9 | | 2084.2 | 2095.8 | | 4315.2 | 4328.9 | |
| | w/ perceived | 2618.7 | 2635.1 | * | 3104.3 | 3121.3 | * | 1988.2 | 2003.5 | * | 4098.8 | 4116.8 | * |
| | - | | | | | | | | | | | | |
| | Pairs | | | | | Depressi | on I | Difference | | | | | |
| | | AIC | BIC | | AIC | BIC | | AIC | BIC | | AIC | BIC | |
| MZ | w/o | 564.4 | 569.7 | | 842.0 | 848.0 | | 564.4 | 569.7 | | 842.0 | 848.0 | |
| | w/ perceived | 541.8 | 549.6 | * | 805.6 | 814.6 | * | 541.8 | 549.6 | * | 805.6 | 814.6 | * |
| DZ | w/o | 760.5 | 769.0 | | 705.1 | 710.6 | | 425.2 | 429.8 | | 1231.1 | 1241.0 | |
| | w/ perceived | 716.6 | 727.7 | * | 675.7 | 683.9 | * | 402.8 | 409.5 | * | 1168.1 | 1181.2 | * |
| Twins | w/o | 1332.4 | 1346.2 | | 1552.7 | 1563.5 | | 991.3 | 1000.9 | | 2081.5 | 2097.1 | |
| | w/ perceived | 1263.3 | 1280.3 | * | 1485.4 | 1499.7 | * | 943.8 | 956.3 | * | 1981.1 | 2000.2 | * |

Table 3: Comparing Model Fit with and without Perceived Zygosity

* indicates a significant improvement in model fit when perceived zygosity is added to the model (a difference of 5 or higher between AIC/BIC statistics with and without perceived zygosity)

Table 4 offers evidence that twin misclassification is driven at least partially by very early differences. Twins who are genetically identical, but misperceive themselves as fraternal, have significantly higher differences in birth weight. The sample size for incorrectly classified DZ twins is only 7 pairs, so results for this group are not conclusive. Among MZ twins, however, perceived zygosity is related to birth weight differences.

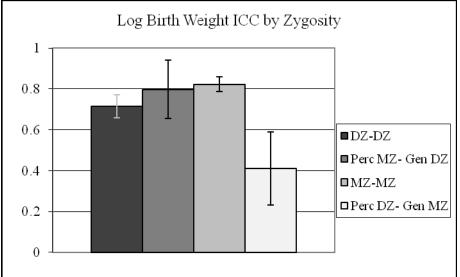
Figure 5 illustrates the relationship between birth weight and perceived zygosity. Misclassified MZ twins have substantially lower similarity in birth weight than all other twin types and likely encouraged their identification as DZ twins. Misclassified DZ twins had slightly higher birth weight similarity than their correctly classified counterparts, but the sample size is too small to reach significance.

| | Birth Weight Difference | N (pairs) | Std Dev |
|---------------|----------------------------|--------------|------------|
| | | | |
| MZ Correct* | 0.08 | 74 | 0.07 |
| DZ Correct | 0.10 | 73 | 0.10 |
| MZ Incorrect* | 0.13 | 22 | 0.12 |
| DZ Incorrect | 0.08 | 7 | 0.09 |

Table 4: Birth weight differences by zygosity among same sex twins

* indicates significant difference between groups; birth weight differences are only significant between twin pairs who correctly and incorrectly identified as identical twins

Figure 5: Twin intraclass correlations for birth weight, by genetic and perceived zygosity; data from genetic subsample of the National Longitudinal Survey of Adolescent Health. Sample sizes are 159 for genetically MZ twins perceived accurately and 48 for MZ twins perceived inaccurately; 157 for genetically DZ twins perceived accurately and 14 for genetically DZ twins perceived inaccurately.



Discussion

Overall, the evidence suggests that typical twin heritability estimates of behavioral outcomes are not upwardly biased by failing to address the covariance between genes and environment. In other words, our evidence supports the equal environments assumption. Further, our results build on previous research to suggest that phenotypic similarity and perceived zygosity are not co-determined. Perceived zygosity is influenced by differences as early as birth. Although it may be partially endogenous to the phenotypes studied here, misperception is significantly related to a much earlier difference – birth weight – which suggests misperception is not primarily codetermined with phenotypic similarity. Therefore, evidence supports methods used here and in previous studies which compare similarity based on actual and perceived zygosity to assess the equal environments assumption.

Results suggest that heritability estimates may be higher if we deploy comparisons among twins who misperceive their zygosity – but mainly for behavioral phenotypes. While we

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may not make much of these differences, they at least give us comfort that by setting the GE covariance term to zero in standard heritability models, we are not significantly biasing results. A number of approaches—ranging from the misclassification strategy pursued here to using IBD sibling resemblance models—seem to be converging on the results that the old narrow-sense heritability estimates are not far off. This assumes, of course, that the other assumption of random mating holds. However, if parents tend to be more alike genetically than they would be if mating were random (a likely case, especially if we believe genes are related to phenotypes and the same phenotypes that researchers tend to study are those on which mates also sort), then heritability estimates would be downwardly biased. There are instances where we might expect genetic opposites to attract, such as the major histocompatibility complex where genetic diversity increases the chances of species or population survival through an epidemic. The phenotypes of interest to most social scientists and those studied here, however, are likely to see assortative mating (educational assortative mating - related to GPA, ADHD, delinquency, and depression offers the most obvious example). So all in all, it seems reasonable to take results from an ACE model more or less at face value. In fact, we come to this conclusion grudgingly, having set out on this empirical exercise with the assumption that we were going to show h^2 to be overstated for our range of phenotypes due to omitted, positive GE covariance.

With these empirical results (for the present sample) in mind, it will be important work for sociologists going forward—in this age of human genomics—to determine what social, environmental or demographic factors drive these (and other) heritability estimates up or down. Likewise, as molecular level markers become increasingly integrated into social scientific surveys (c.f. the Health and Retirement Study, Fragile Families, and the Wisconsin Longitudinal Survey to name a few), it will be important to decompose the heritability of social phenotypes

into its measured genetic components. Additionally, by combining observed, narrow-sense heritabilities of social behaviors with fertility and longevity data, demographic forecasters may be better able to model social and economic trends. Finally, with better estimates of heritability, policy makers can design interventions and choose between them with increased knowledge about the etiologies of the various outcomes we normatively desire to maximize.

From the days of Francis Galton's eugenic theories of the heritability of intelligence and criminality on through the controversial, bestselling book by Richard Herrnstein and Charles Murray, *The Bell Curve* (1994), introducing genetics to discussions of social behavior in humans has been morally suspect. This has led to an intellectual firewall between mainstream social science and biological data. However, recently there has been increased interest in collecting biomarkers, in general, and genetic data, in particular, among social scientists. This détente allows for the potentially fruitful integration of new econometric techniques with datasets that include genotypic information. Future researchers should not let the sins of past scholars steer them away from this potentially rich intellectual vein of data.

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Supplementary Material

Supplemental tables provide descriptive measures by zygosity category (S1) and compare perceived and assigned zygosity to the similarity index Add Health used to assign zygosity (S2 and S3). Mean differences between correctly and incorrectly classified twins are only significant for high school GPA and birth weight. Identical twins who believe they are fraternal have significantly higher high school GPAs than correctly identified identical twins. The same pattern does not hold among fraternal twins who believe they are identical. Overall, all misclassified twins have significantly higher GPAs than all correctly classified twins. Birth weight is significantly higher among fraternal twins who believe they are identical than correctly perceived fraternal twins. This difference is not significant among identical or all twins.

| | MZ-MZ DZ-Actual MZ I | | DZ-DZ | | MZ-Actua | DZ | | Any Misclass | | Correct C | lass | | All | | | | | |
|-----------------------|----------------------|-----|-------|----|----------|-------|-----|--------------|----|-----------|-------|----|-------|-----|----|-------|---------|-----|
| | Mean | Ν | Mean | Ν | | Mean | Ν | Mean | Ν | | Mean | Ν | Mean | Ν | | Mean | Std Dev | Ν |
| Male | 0.47 | 208 | 0.41 | 74 | | 0.53 | 210 | 0.38 | 16 | | 0.40 | 90 | 0.50 | 418 | + | 0.48 | 0.5 | 508 |
| HS GPA | 2.67 | 185 | 3.01 | 62 | ** | 2.62 | 175 | 2.59 | 13 | | 2.93 | 75 | 2.64 | 360 | ** | 2.69 | 0.79 | 435 |
| Depression | 5.90 | 207 | 5.62 | 74 | | 5.37 | 208 | 4.00 | 16 | | 5.33 | 90 | 5.63 | 415 | | 5.58 | 4.98 | 505 |
| ADHD | 12.80 | 203 | 11.56 | 72 | | 13.26 | 205 | 13.47 | 15 | | 11.89 | 87 | 13.03 | 408 | | 12.83 | 8.87 | 495 |
| BMI | 25.02 | 200 | 25.58 | 69 | | 25.74 | 194 | 27.83 | 16 | | 26.00 | 85 | 25.37 | 394 | | 25.48 | 6.09 | 479 |
| Obese | 0.14 | 200 | 0.14 | 69 | | 0.14 | 194 | 0.38 | 16 | + | 0.19 | 85 | 0.14 | 394 | | 0.15 | 0.36 | 479 |
| Height | 66.86 | 202 | 66.41 | 71 | | 67.50 | 198 | 66.74 | 16 | | 66.47 | 87 | 67.18 | 400 | | 67.05 | 4.19 | 487 |
| Birth Weight (log oz) | 4.48 | 159 | 4.50 | 48 | | 4.51 | 157 | 4.61 | 14 | * | 4.53 | 62 | 4.49 | 316 | | 4.5 | 0.18 | 378 |
| Birth Weight (oz) | 89.60 | 159 | 91.29 | 48 | | 92.02 | 157 | 101.57 | 14 | * | 93.61 | 62 | 90.80 | 316 | | 91.26 | 16.28 | 378 |

Table S1: Means by Classification Category - Same Sex Twins

Differences between correctly and incorrectly classified twins are significant at: + p < .05; ** p < .01.

Tables S2 and S3 show Add Health zygosity assignment by similarity score (based on responses to questions about how similar the twins are). Table S2 illustrates the main cut-off in similarity for Add Health-assigned zygosity. Table S3 shows that similarity score and self-perceived zygosity is not as strongly related.

| Similarity Score | Add Health Assignment | | | | | | | | | | |
|------------------|-----------------------|-----|--------------|-------|--|--|--|--|--|--|--|
| | | | | | | | | | | | |
| | MZ | DZ | Undetermined | Total | | | | | | | |
| 0 | 4 | 232 | 0 | 236 | | | | | | | |
| 33.3 | 2 | 36 | 0 | 38 | | | | | | | |
| 50 | 4 | 38 | 0 | 42 | | | | | | | |
| 60 | 4 | 28 | 0 | 32 | | | | | | | |
| 66.7 | 16 | 4 | 6 | 26 | | | | | | | |
| 71.4 | 16 | 0 | 4 | 20 | | | | | | | |
| 75 | 68 | 2 | 22 | 92 | | | | | | | |
| 80 | 12 | 4 | 6 | 22 | | | | | | | |
| 83.3 | 14 | 2 | 4 | 20 | | | | | | | |
| 85.7 | 10 | 2 | 4 | 16 | | | | | | | |
| 87.5 | 84 | 0 | 14 | 98 | | | | | | | |
| 100 | 186 | 0 | 0 | 186 | | | | | | | |
| Total | 420 | 348 | 60 | 828 | | | | | | | |

Table S2. Add Health zygosity assignment of same-sex twins by similarity score

Table S3: Self-reported zygosity of same-sex twins by similarity score

| Similarity Score | S | elf-Reporte | d Zygosit | у | | | | | |
|------------------|-----|-------------|-----------|-------|--|--|--|--|--|
| | | | | | | | | | |
| | MZ | Disagree | DZ | Total | | | | | |
| 0 | 8 | 4 | 222 | 234 | | | | | |
| 33.3 | 4 | 0 | 34 | 38 | | | | | |
| 50 | 10 | 2 | 30 | 42 | | | | | |
| 60 | 10 | 0 | 22 | 32 | | | | | |
| 66.7 | 12 | 2 | 12 | 26 | | | | | |
| 71.4 | 16 | 0 | 4 | 20 | | | | | |
| 75 | 58 | 2 | 32 | 92 | | | | | |
| 80 | 10 | 2 | 10 | 22 | | | | | |
| 83.3 | 12 | 0 | 8 | 20 | | | | | |
| 85.7 | 10 | 0 | 6 | 16 | | | | | |
| 87.5 | 78 | 2 | 18 | 98 | | | | | |
| 100 | 140 | 6 | 40 | 186 | | | | | |
| Total | 368 | 20 | 438 | 826 | | | | | |

Table S4 offers the same measures as Table 2 in the main text, but based on zygosity assigned by Add Health rather than perceived zygosity. Samples sizes are smaller for mis-assigned than misperceived twins (18 and 12 vs. 74 and 16 as shown in Table 1), but results are generally similar. Exceptions (differences of more than 0.10) are highlighted, but probably reflect the small number of mis-assigned twins.

| | | | | | | h² DZ | С | Е | С | Е |
|------------|---------|-------------------|---------|-------------------|---------|-------------------|-------------------|-------------------|-------------------|-------------------|
| | | | | | | Correct & | Shared | Unique | Shared | Unique |
| | MZ | MZ | DZ | DZ | h² All | Perc DZ- | Env | Env | Env MZ | Env MZ |
| | Correct | Incorrect | Correct | Incorrect | Correct | Gen MZ | Correct | Correct | Incorrect | Incorrect |
| | | | | | | | | | | |
| BMI | 0.84 | <mark>0.57</mark> | 0.36 | | 0.96 | <mark>0.42</mark> | -0.12 | 0.16 | <mark>0.15</mark> | <mark>0.43</mark> |
| Height | 0.96 | 0.93 | 0.71 | 0.47 | 0.5 | 0.44 | 0.46 | 0.04 | 0.49 | 0.07 |
| ADHD | 0.39 | 0.49 | 0.23 | <mark>0.09</mark> | 0.32 | 0.52 | 0.07 | 0.61 | -0.03 | 0.51 |
| Depression | 0.31 | <mark>0.48</mark> | 0.19 | | 0.24 | <mark>0.58</mark> | <mark>0.07</mark> | <mark>0.69</mark> | <mark>-0.1</mark> | <mark>0.52</mark> |
| GPA | 0.84 | <mark>0.18</mark> | 0.63 | <mark>0.44</mark> | 0.42 | <mark>-0.9</mark> | 0.42 | <mark>0.16</mark> | <mark>1.08</mark> | <mark>0.82</mark> |

Table S4: Intraclass Correlation and Estimated Heritability by Add Health-Assigned Zygosity Category

Highlighted values differ from those in Table 2 (using perceived zygosity) by 0.10 or more.